

Quick Algebra Problem Generator

The sections below outline the steps for creating your own Algebra Problem Generator. You only need to write the code once and then modify it directly. Copy and paste different versions for quick reference later.

DRAFT

step 1 - note "a" starts at 1 to avoid errors later

```
a = RandomInteger[{1, 10}];
b = RandomInteger[{0, 10}];
c = RandomInteger[{0, 10}];
a * x + b * y == c
7 x + 5 y == 4
```

step 2 - include Solve (note defining "prob")

```
a = RandomInteger[{1, 10}];
b = RandomInteger[{0, 10}];
c = RandomInteger[{0, 10}];
prob = (a * x + b * y == c)
Solve[prob, x]
2 x + 3 y == 10
 $\left\{ \left\{ x \rightarrow \frac{1}{2} (10 - 3 y) \right\} \right\}$ 
```

step 3 - Make prob and solve a list

```
a = RandomInteger[{1, 10}];
b = RandomInteger[{0, 10}];
c = RandomInteger[{0, 10}];
{prob = (a * x + b * y == c),
 Solve[prob, x]}
{6 x + 6 y == 0, {{x → -y}}}
```

step 4 - make it a Table to generate 5 (or whatever) probs

```
Table[
  a = RandomInteger[{1, 10}];
  b = RandomInteger[{0, 10}];
  c = RandomInteger[{0, 10}];
  {prob = (a * x + b * y == c),
   Solve[prob, x]},
  {5}]
{{8 x == 6, {{x -> 3/4}}}, {6 x + 7 y == 2, {{x -> 1/6 (2 - 7 y)}}}, {x + 2 y == 0, {{x -> -2 y}}},
 {4 x + y == 2, {{x -> 2 - y/4}}}, {9 x + 10 y == 1, {{x -> 1/9 (1 - 10 y)}}}]
```

step 5 - make it look nice

```
TraditionalForm@TableForm@Table[
  a = RandomInteger[{1, 10}];
  b = RandomInteger[{0, 10}];
  c = RandomInteger[{0, 10}];
  {prob = (a * x + b * y == c),
   Solve[prob, x]},
  {5}]


|                   |                                      |
|-------------------|--------------------------------------|
| $x + 8 y = 5$     | $x \rightarrow 5 - 8 y$              |
| $8 x + 10 y = 10$ | $x \rightarrow -\frac{5}{4}(y - 1)$  |
| $4 x + 6 y = 6$   | $x \rightarrow -\frac{3}{2}(y - 1)$  |
| $10 x = 10$       | $x \rightarrow 1$                    |
| $2 x + 5 y = 4$   | $x \rightarrow \frac{1}{2}(4 - 5 y)$ |


```

(if desired/asked) step 6 - change arrow to =

```
TraditionalForm@TableForm@Table[
  a = RandomInteger[{1, 10}];
  b = RandomInteger[{0, 10}];
  c = RandomInteger[{0, 10}];
  {prob = (a * x + b * y == c), " = ",
  Row[{x, " = ", x /. Flatten@Solve[prob, x]}]},
  {5}]
```

$$7x + 4y = 7 \quad x = \frac{1}{7}(7 - 4y)$$

$$10x + 8y = 4 \quad x = -\frac{2}{5}(2y - 1)$$

$$2x + 10y = 6 \quad x = 3 - 5y$$

$$7x + 3y = 5 \quad x = \frac{1}{7}(5 - 3y)$$

$$7x + y = 9 \quad x = \frac{9-y}{7}$$

adjust problem to make it quadratic

note: Options for TableForm are just options to make it look nicer.

```
TraditionalForm@TableForm[Table[
  a = RandomInteger[{1, 10}];
  b = RandomInteger[{0, 10}];
  c = RandomInteger[{0, 10}];
  {prob = (a * x^2 + b * x == c),
  Solve[prob, x]},
  {3}], TableAlignments -> {Left, Top}, TableSpacing -> 4]
```

$$7x^2 + 3x = 3 \quad x \rightarrow \frac{1}{14}(-3 - \sqrt{93})$$

$$x \rightarrow \frac{1}{14}(-3 + \sqrt{93})$$

$$9x^2 + 7x = 10 \quad x \rightarrow \frac{1}{18}(-7 - \sqrt{409})$$

$$x \rightarrow \frac{1}{18}(-7 + \sqrt{409})$$

$$3x^2 + 7x = 5 \quad x \rightarrow \frac{1}{6}(-7 - \sqrt{109})$$

$$x \rightarrow \frac{1}{6}(-7 + \sqrt{109})$$

factorable quadratic equations

```
TraditionalForm@TableForm[Table[
  a = RandomInteger[{1, 10}];
  b = RandomInteger[{0, 10}];
  c = RandomInteger[{0, 10}];
  {prob = (Expand[a (x + b) (x - c)] == 0),
  Solve[prob, x]},
  {3}], TableAlignments -> {Left, Top}, TableSpacing -> 4]
```

$$10x^2 - 10x - 900 = 0 \quad \begin{array}{l} x \rightarrow -9 \\ x \rightarrow 10 \end{array}$$

$$3x^2 + 24x - 60 = 0 \quad \begin{array}{l} x \rightarrow -10 \\ x \rightarrow 2 \end{array}$$

$$7x^2 - 7x = 0 \quad \begin{array}{l} x \rightarrow 0 \\ x \rightarrow 1 \end{array}$$

change to factoring/expanding problem and soln

note change in a, b, and c

```
TraditionalForm@TableForm@Table[
  a = RandomInteger[{-10, 10}];
  b = RandomInteger[{0, 10}];
  c = RandomInteger[{1, 3}];
  {prob = (x + a) (x + b) * c,
  Expand[prob]},
  {5}]
```

$$3(x - 1)(x + 6) \quad 3x^2 + 15x - 18$$

$$3(x + 4)(x + 5) \quad 3x^2 + 27x + 60$$

$$3(x - 10)(x + 9) \quad 3x^2 - 3x - 270$$

$$(x - 3)(x + 10) \quad x^2 + 7x - 30$$

$$(x + 6)(x + 10) \quad x^2 + 16x + 60$$

systems

change problem to list

add variables

change solve to {x,y}

```

TraditionalForm@TableForm[Table[
  a = RandomInteger[{1, 10}];
  b = RandomInteger[{0, 10}];
  c = RandomInteger[{0, 10}];
  d = RandomInteger[{1, 10}];
  e = RandomInteger[{0, 10}];
  f = RandomInteger[{0, 10}];
  {prob = ({a*x + b*y == c, d*x + e*y == f}),
   Solve[prob, {x, y}]},
 {5}], TableSpacing -> 4]

```

$$\begin{array}{l} x + y = 4 \\ 4x + 5y = 1 \end{array} \quad \begin{array}{l} x \rightarrow 19 \\ y \rightarrow -15 \end{array}$$

$$\begin{array}{l} 2x + y = 2 \\ 10x + 7y = 2 \end{array} \quad \begin{array}{l} x \rightarrow 3 \\ y \rightarrow -4 \end{array}$$

$$\begin{array}{l} x + 7y = 2 \\ 3x + 4y = 0 \end{array} \quad \begin{array}{l} x \rightarrow -\frac{8}{17} \\ y \rightarrow \frac{6}{17} \end{array}$$

$$\begin{array}{l} 7x + y = 2 \\ 4x + 6y = 3 \end{array} \quad \begin{array}{l} x \rightarrow \frac{9}{38} \\ y \rightarrow \frac{13}{38} \end{array}$$

$$\begin{array}{l} 5x + 9y = 10 \\ 9x = 7 \end{array} \quad \begin{array}{l} x \rightarrow \frac{7}{9} \\ y \rightarrow \frac{55}{81} \end{array}$$

Author Information

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